

Charmless b hadron decays at CDF

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INFN and University of Pisa
on behalf of CDF Collaboration



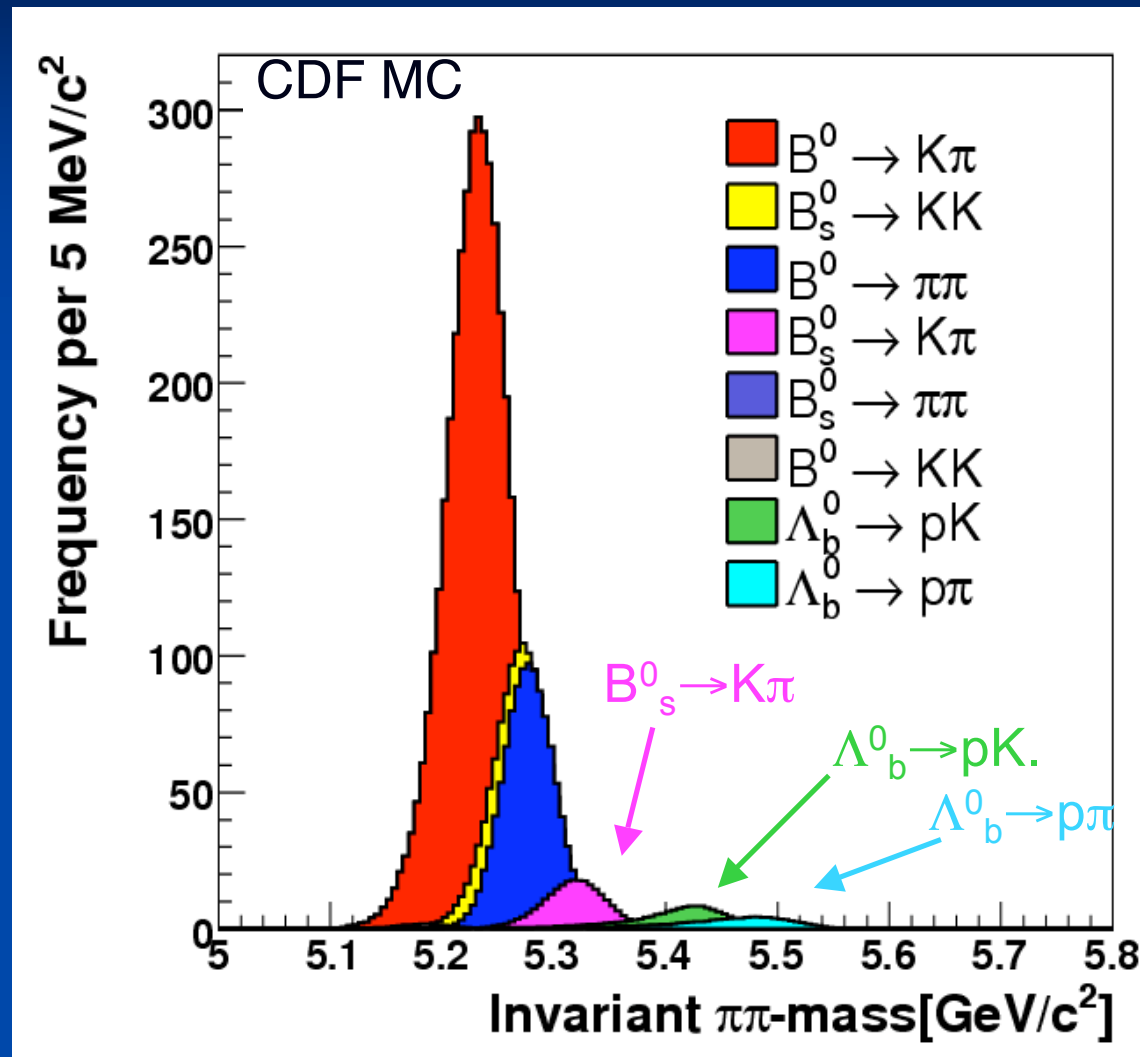
$B^0_{(s)} \rightarrow h^+ h'^-$ and $\Lambda^0_b \rightarrow p h^-$ at CDF motivations

- For the first time amazing possibilities for probing into dynamics of **all charmless charged decays of b-hadrons**.
- Different processes sensitive to same UT angles (i.e. γ)
 \Rightarrow probe for EW structure of SM .
- Contributions of new particles may enter in penguin diagrams \Rightarrow probe for New Physics.
- Program complementary to other experiments:
simultaneous measurements of B^0 , **B^0_s and Λ^0_b** .

Very rich phenomenology but “challenging” measurement



$B^0_{(s)} \rightarrow h^+ h'^-$ at CDF



Despite good mass resolution (≈ 22 MeV/c²), individual modes overlap in a single peak (width ~ 35 MeV/c²)

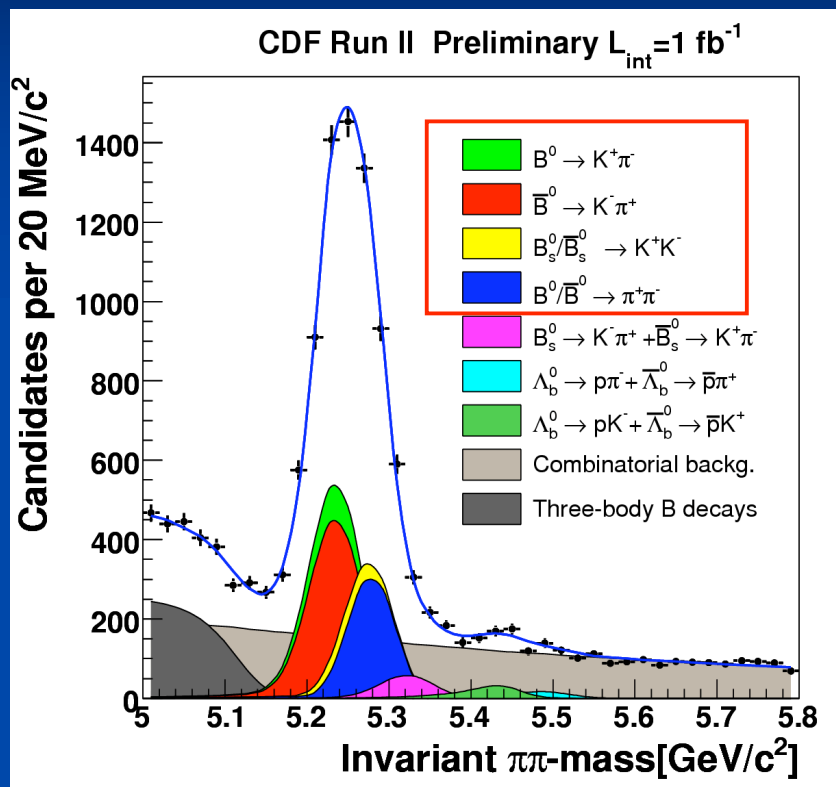
Note that the use of a single mass assignment ($\pi\pi$) causes overlap even with perfect resolution

Each mode is a background for others. i.e. $\Lambda_b^0 \rightarrow p\pi/pK$ are “backgrounds” of $B_s^0 \rightarrow K\pi$ “signal”. Also the large modes are background for $B_s^0 \rightarrow K\pi$ “signal”.

Need to determine signal composition with a **Likelihood fit**, combining information from **kinematics** (mass and momenta) and **particle ID** (dE/dx).



Results on “large” modes



B^0 yields comparable to e^+e^-
 $4045 \pm 84 B^0 \rightarrow K^+\pi^-$

3.5 σ

$$A_{CP}(B^0 \rightarrow K^+\pi^-) = -0.086 \pm 0.023(\text{stat.}) \pm 0.09(\text{syst.})$$

Goal with Full Run II statistics ~1%

In agreement with e^+e^- experiments:

$$\begin{aligned} BaBar(467 MB\bar{B}) &\Rightarrow A_{CP} = -0.107 \pm 0.016^{+0.006}_{-0.004} \\ Belle(532 MB\bar{B}) &\Rightarrow A_{CP} = -0.094 \pm 0.018 \pm 0.008 \end{aligned}$$

With the same selection performed
high precision measurements of:

$$\frac{BR(B^0 \rightarrow \pi^+\pi^-)}{BR(B^0 \rightarrow K^+\pi^-)} = 0.259 \pm 0.017(\text{stat.}) \pm 0.016(\text{syst.})$$

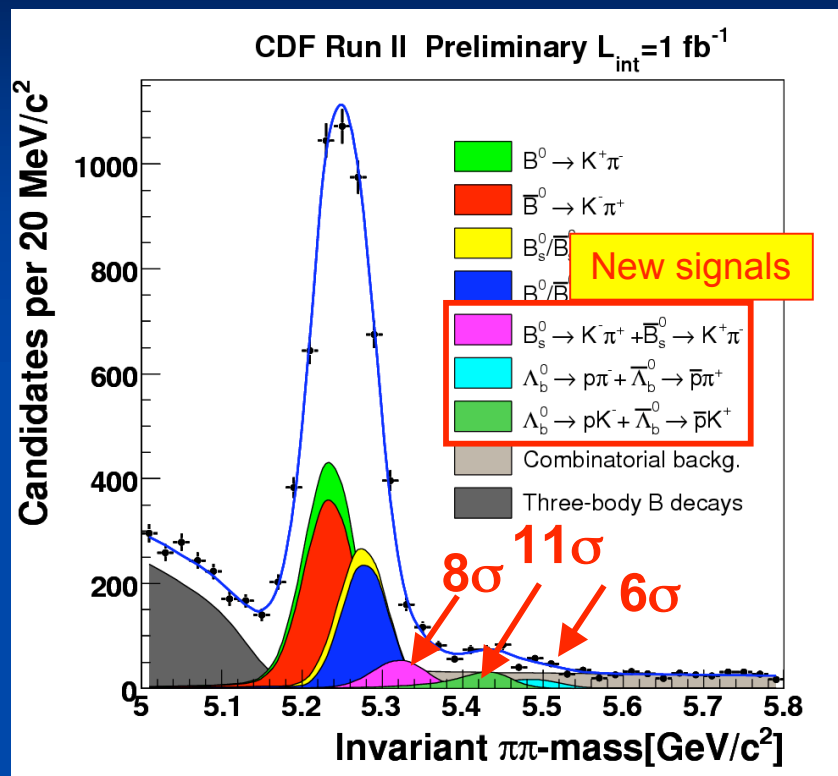
good agreement with e^+e^- experiments, Belle
measures $0.26 \pm 0.01 \pm 0.01$ with 449MBBbar.

Largest sample of
 $B_s^0 \rightarrow K^+K^- \approx 1300 \Rightarrow$

$$\frac{f_s}{f_d} \times \frac{BR(B_s^0 \rightarrow K^+K^-)}{BR(B^0 \rightarrow K^+\pi^-)} = 0.347 \pm 0.020(\text{stat.}) \pm 0.021(\text{syst.})$$



First observation of $B_s^0 \rightarrow K^- \pi^+$



As a “background” first observation of two baryonic charmless decays: $\Lambda_b^0 \rightarrow p \pi^-$ (6 σ) and $\Lambda_b^0 \rightarrow p K^-$ (11 σ)

Selection optimized to observe the rare $B_s^0 \rightarrow K^- \pi^+$ mode.

First observation of $B_s^0 \rightarrow K^- \pi^+$ charmless decay with 8 σ of significance

$$\frac{f_s}{f_d} \times \frac{BR(B_s^0 \rightarrow K^- \pi^+)}{BR(B^0 \rightarrow K^+ \pi^-)} = 0.071 \pm 0.010(\text{stat.}) \pm 0.007(\text{syst.})$$

Using PDG08 inputs:

$$BR(B_s^0 \rightarrow K^- \pi^+) = (5.0 \pm 0.7(\text{stat.}) \pm 0.8(\text{syst.})) \times 10^{-6}$$

$BR(B_s^0 \rightarrow K^- \pi^+)$ theoretical expectations are strongly related to α and γ :

QCDF, pQCD $[6-10] \cdot 10^{-6}$

[NP B675, 333(2003); PRD71,074026 (2005)]

SCET: $(4.9 \pm 1.8) \cdot 10^{-6}$ [PRD74, 014003(2006)]



Direct CPV $B_s^0 \rightarrow K^- \pi^+$

Observation of this decay offers a unique opportunity of checking for the SM origin of direct CP violation. Proposed in [\[Gronau, Phys.Lett. B492, 297 \(2000\)\]](#), later shown to hold under much weaker assumptions in [\[Lipkin, Phys. Lett. B621, 126, \(2005\)\]](#).

$$\Gamma(\bar{B}^0 \rightarrow K^- \pi^+) - \Gamma(B^0 \rightarrow K^+ \pi^-) = \Gamma(B_s^0 \rightarrow K^- \pi^+) - \Gamma(\bar{B}_s^0 \rightarrow K^+ \pi^-)$$



Currently unique to CDF. From our measured BR, we can predict DCPV using:

$$A_{CP}(B_s^0 \rightarrow K^- \pi^+) = -A_{CP}(B^0 \rightarrow K^+ \pi^-) \cdot \frac{BR(B^0 \rightarrow K^+ \pi^-)}{BR(B_s^0 \rightarrow K^- \pi^+)} \cdot \frac{\tau(B^0)}{\tau(B_s^0)}$$

Low $BR(B_s^0 \rightarrow K^+ \pi^-)$ implies large asymmetry: DCPV \cong **+40%**

Interesting case of large DCPV predicted under SM



Direct CPV in $B_s^0 \rightarrow K^- \pi^+$ (cont'd)

2.5 σ

$$A_{CP}(B_s^0 \rightarrow K^- \pi^+) = \frac{BR(\bar{B}_s^0 \rightarrow K^+ \pi^-) - BR(B_s^0 \rightarrow K^- \pi^+)}{BR(\bar{B}_s^0 \rightarrow K^+ \pi^-) + BR(B_s^0 \rightarrow K^- \pi^+)} = 0.39 \pm 0.15(stat.) \pm 0.08(syst.)$$

Using PDG08 inputs for f_s and f_d :

$$\frac{\Gamma(\bar{B}^0 \rightarrow K^- \pi^+) - \Gamma(B^0 \rightarrow K^+ \pi^-)}{\Gamma(\bar{B}_s^0 \rightarrow K^+ \pi^-) - \Gamma(B_s^0 \rightarrow K^- \pi^+)} = -0.83 \pm 0.41(stat.) \pm 0.12(syst.) \quad (SM = -1)$$

First measurement of DCPV in the B_s^0

Sign and magnitude agree with SM predictions within uncertainties.

May shed light on the Belle and BaBar discrepancy. Assuming perfect SU(3) symmetry and neglecting annihilation diagrams [Nucl. Phys. B697, 133,2004] :

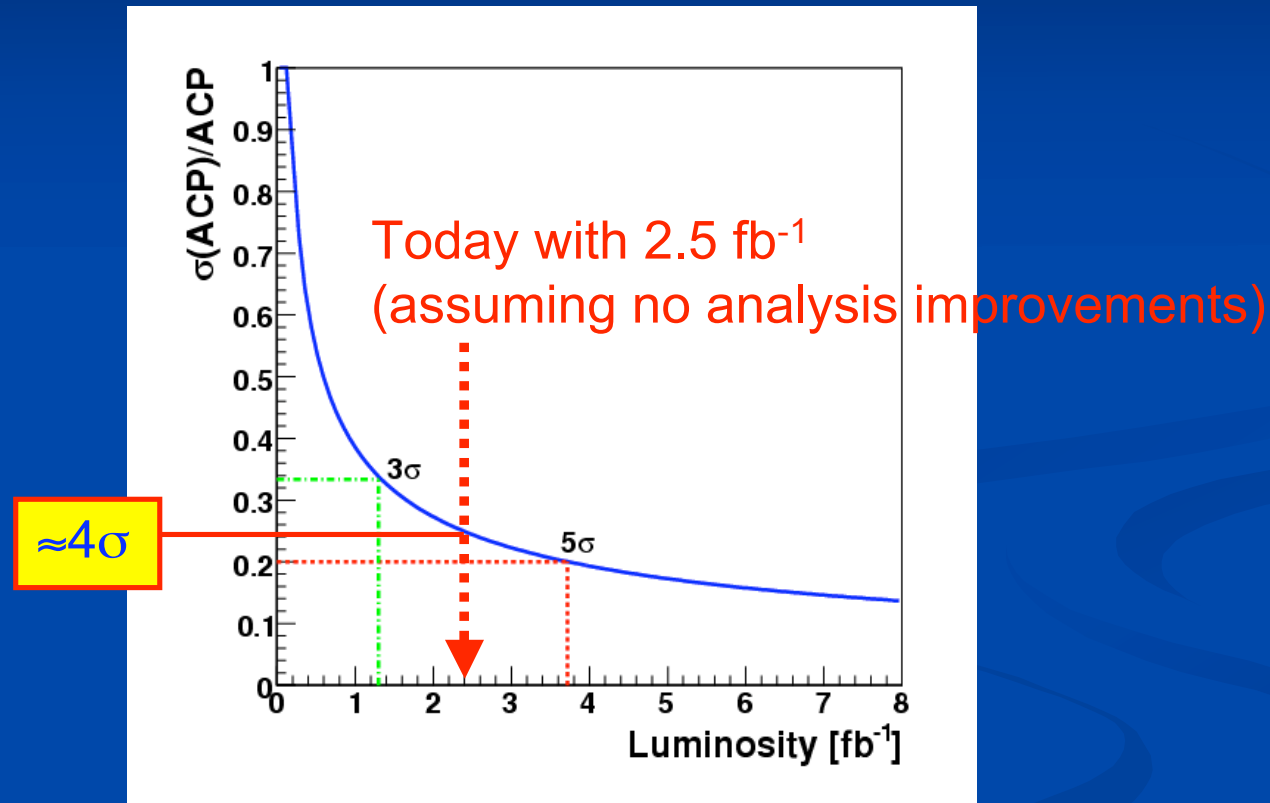
$$A_{CP}(B^0 \rightarrow \pi^+ \pi^-) = A_{CP}(B_s^0 \rightarrow K^- \pi^+).$$

Note that our central value for A_{CP} is just in the middle of B-Factories results.



DCPV $B_s^0 \rightarrow K^- \pi^+$: prospect

Assuming SM hypothesis \Rightarrow Gronau-Lipkin relation true

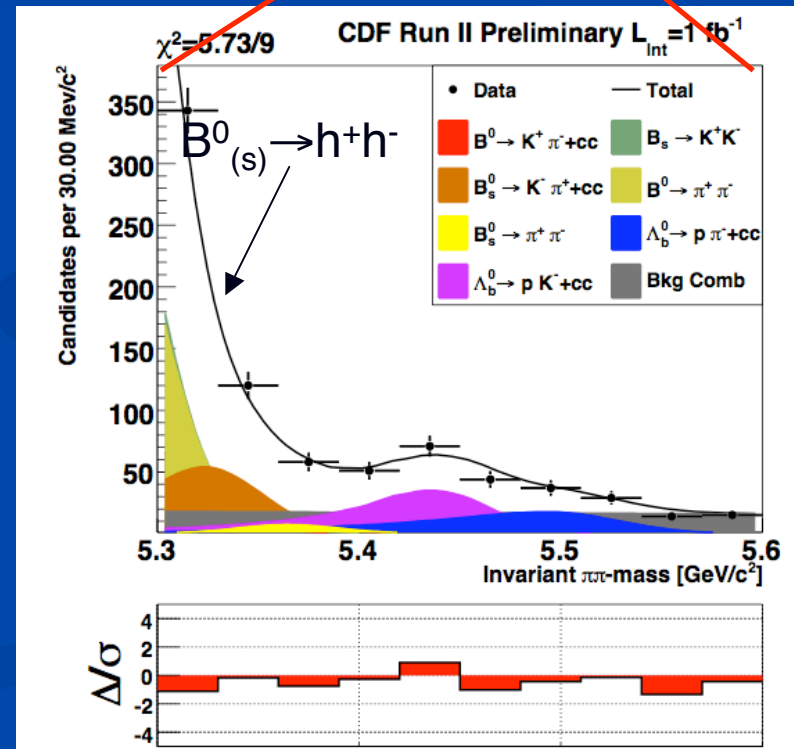
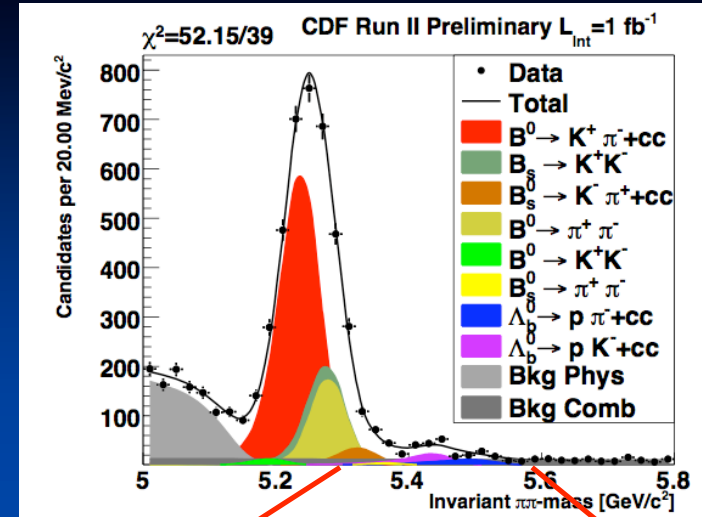


Expected improvements in the analysis to approach 5σ .
Very exciting to pursue with more data, in any case !



$\Lambda_b^0 \rightarrow p h^-$ decays

- $\Lambda_b^0 \rightarrow p h^-$ amazing “background” of $B^0_{(s)} \rightarrow h^+ h^-$.
 - First insight to dynamics of b-baryon charmless decays.
 - CPV may reach significant size $O(10\%)$ in SM.
- BR/A_{CP} needed additional work with respect to standard $B \rightarrow hh$ analysis:
 - Λ_b^0 p_T spectrum is different from B
 - Λ_b^0 polarization modifies kinematics
 - Evaluation of p/K , p/π and p/\bar{p} efficiencies due to the presence of a proton in the final state.
- Additional cut on $p_T(\Lambda_b^0) > 6 \text{ GeV}/c$ is needed because it has been measured in CDF only above this threshold.





BR/DCPV in $\Lambda_b^0 \rightarrow p h^-$

$$\frac{f_\Lambda}{f_d} \times \frac{BR(\Lambda_b^0 \rightarrow p\pi^-)}{BR(B^0 \rightarrow K^+\pi^-)} = 0.042 \pm 0.007(stat.) \pm 0.006(syst.)$$

$$\frac{f_\Lambda}{f_d} \times \frac{BR(\Lambda_b^0 \rightarrow pK^-)}{BR(B^0 \rightarrow K^+\pi^-)} = 0.066 \pm 0.009(stat.) \pm 0.008(syst.)$$

BRs are in agreement with SM predictions and exclude $BR \approx O(10^{-4})$ values indicated for R-parity violating Minimal Supersymmetric extensions of the SM model. [\[PRD63,056006\(2001\)\]](#)

First DCPV measurements in b-hadrons decays. Statistical uncertainty dominates. Hint of DCPV in baryon decays. Very interesting to pursue with more data.

2.1 σ

$$A_{CP}(\Lambda_b^0 \rightarrow pK^-) = -0.37 \pm 0.17(stat.) \pm 0.03(syst.)$$

$$A_{CP}(\Lambda_b^0 \rightarrow p\pi^-) = -0.03 \pm 0.17(stat.) \pm 0.05(syst.)$$



Conclusions

- First observation of $B^0_s \rightarrow K^- \pi^+$ mode
- First measurement of DCPV in B^0_s
 - SM prediction of large $A_{CP}(B^0_s \rightarrow K^- \pi^+)$ confirmed.
- First observation of $\Lambda_b^0 \rightarrow p K^-$, $\Lambda_b^0 \rightarrow p \pi^-$.
 - Measured branching fractions in agreement with SM predictions
 - First measurement of DCPV in a baryonic decays. $A_{CP}(\Lambda_b^0 \rightarrow p K^-)$ different from 0 by 2.1σ
- Precision $A_{CP}(B^0 \rightarrow K^+ \pi^-)$ confirms B-factories results.
 - Expect final measurement with uncertainty $\sim 1\%$ with full RunII statistics.
- Precision measurement of $BR(B^0 \rightarrow \pi^+ \pi^-)$ and $BR(B^0_s \rightarrow K^+ K^-)$.
- World best upper limit on annihilation mode $BR(B^0_s \rightarrow \pi^+ \pi^-) < 1.2 \cdot 10^{-6}$ (90%CL).
- b physics program at CDF very rich and still promising. Two-body charmless decays are golden channels. Several more to follow. Precise measurements of CP asymmetries up-coming.

Backup

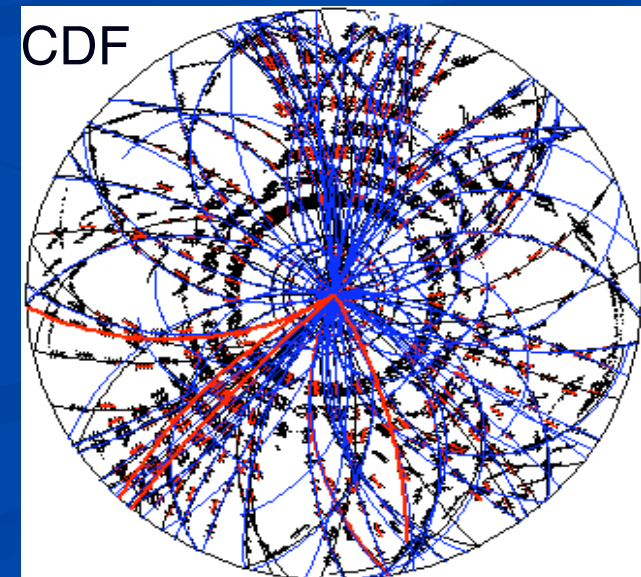
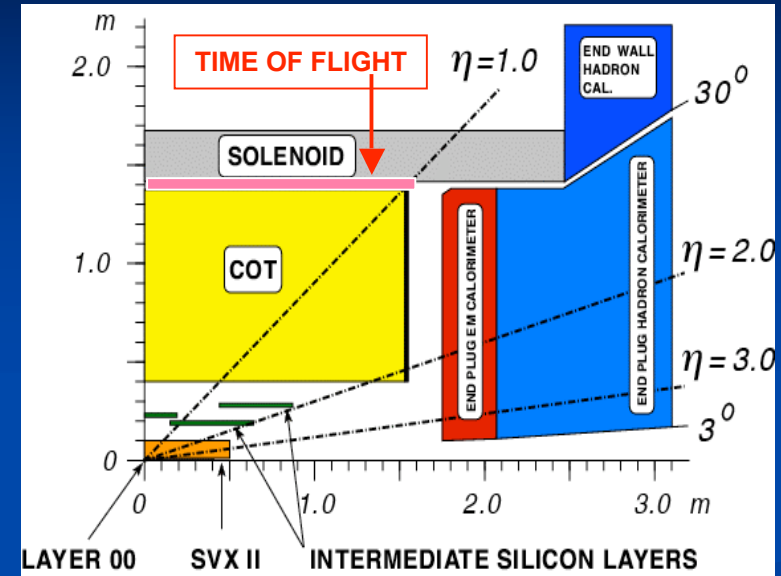


Important CDF features

- Central Drift chamber (COT)
 - $\sigma(p_T)/p_T^2 \sim 0.1\% \text{ GeV}^{-1}$
 - dE/dx measurement:
 - 1.5σ sep. K/π @ $p > 2 \text{ GeV}/c$.
- Silicon VerteX detector (SVX)
 - I.P. resolution: $35\mu\text{m}$ @ $p = 2 \text{ GeV}/c$.
- Tracking trigger:
 - On-line impact parameter measurement (crucial)

Total inelastic x-section $\times 10^3$ larger than $\sigma(bb)$. BRs' for interesting processes $O(10^{-6})$.
Messy environments with large combinatorics.

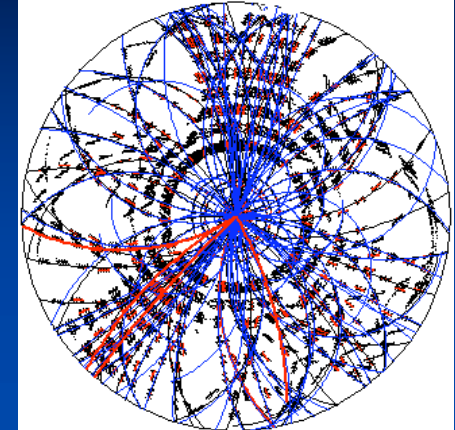
In this talk measurements with 1 fb^{-1} .





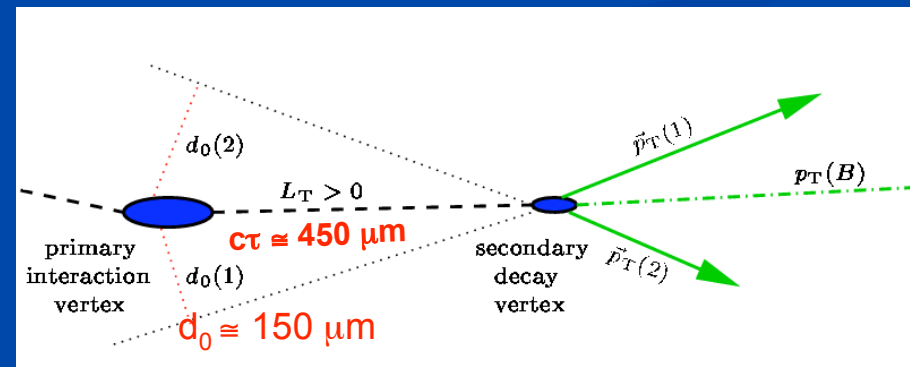
B hadron signature

Total inelastic x-section $\times 10^3$ larger than $\sigma(bb)$. BRs' for interesting processes $O(10^{-6})$.
Messy environments with large combinatorics.



“Long” (~ 1.5 ps) lifetime of b -hadrons: a powerful signature against light-quark background.

Cut online (L2 trigger) on impact parameter $d_0(\text{track})$.



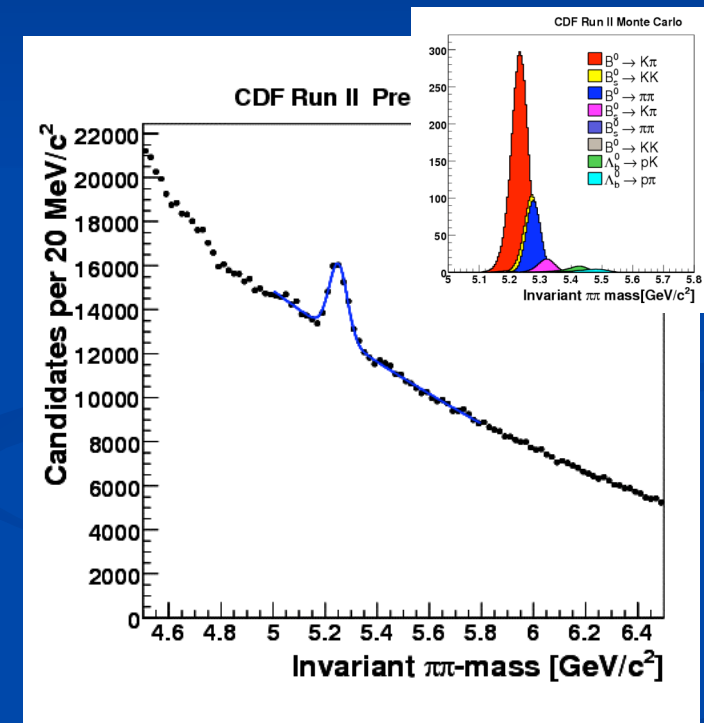
Very high-purity samples of hadronic B (and D) decays.



It all begins in the trigger

- Two oppositely-charged tracks (i.e. B candidate) from a long-lived decay:
 - track's impact parameter;
 - B transverse decay length;
- B candidate pointing back to primary vertex:
 - impact parameter of the B ;
- Reject light-quark background from jets:
 - transverse opening angle;
 - p_{T1} and p_{T2} ;
 - $p_{T1}+p_{T2}$.

Signal (BR $\sim 10^{-5}$) visible with just offline trigger cuts confirmation:



Isolation: $I(B)$ (rejects light quark backg.)
3D vertex quality: $\chi^2_{3D}(B)$

a bump of ~ 14500 events with
 $S/B \approx 0.2$ (at peak) in $\pi\pi\pi$ -
invariant mass



Sample selection

■ Reject light-quark background

- Two oppositely-charged tracks
- Transverse opening angle;
- p_{T1} , p_{T2} ;
- $p_{T1} + p_{T2}$.

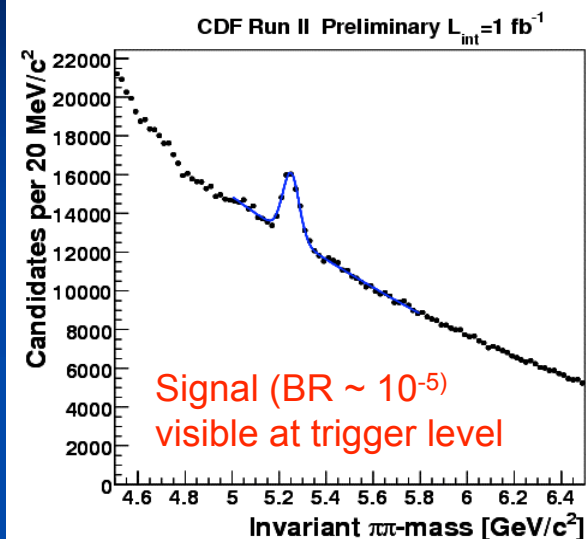
■ Long-lived candidate

- Track impact parameters;
- Transverse decay length;

■ Reject multi-prongs and backgrounds

- B impact parameter.

TRIGGER cuts



■ Further observables:

- 3D Vertex chi-square
- Isolation:

$$I(B) = \frac{p_T(B)}{p_T(B) + \sum_{\text{cone}} p_{Ti}}$$

- Effective in reducing light-quark background, 85% efficient.
(analog of event shape at e^+e^-)

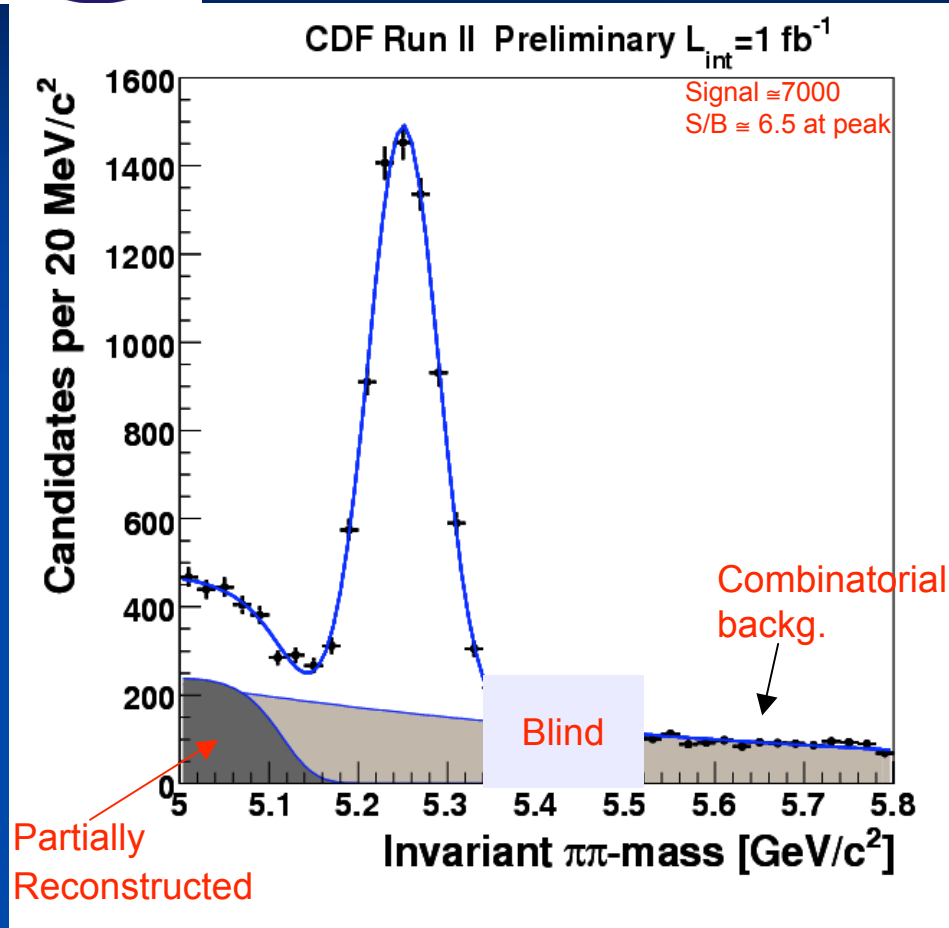
OFFLINE cuts

2 sets of cuts:

- **Loose:** optimize for $A_{CP}(B^0 \rightarrow K^+ \pi^-)$
(good for all three “large modes”)
- **Tight:** optimize for $B_s^0 \rightarrow K^- \pi^+$
(good for all “rare modes”)



$B \rightarrow h^+ h^-$ signal (loose cuts)



Selection optimized to minimize statistical uncertainty on $A_{\text{CP}}(B^0 \rightarrow K\pi)$

Despite good mass resolution ($\approx 22 \text{ MeV}/c^2$), individual modes overlap in a single peak (width $\sim 35 \text{ MeV}/c^2$)

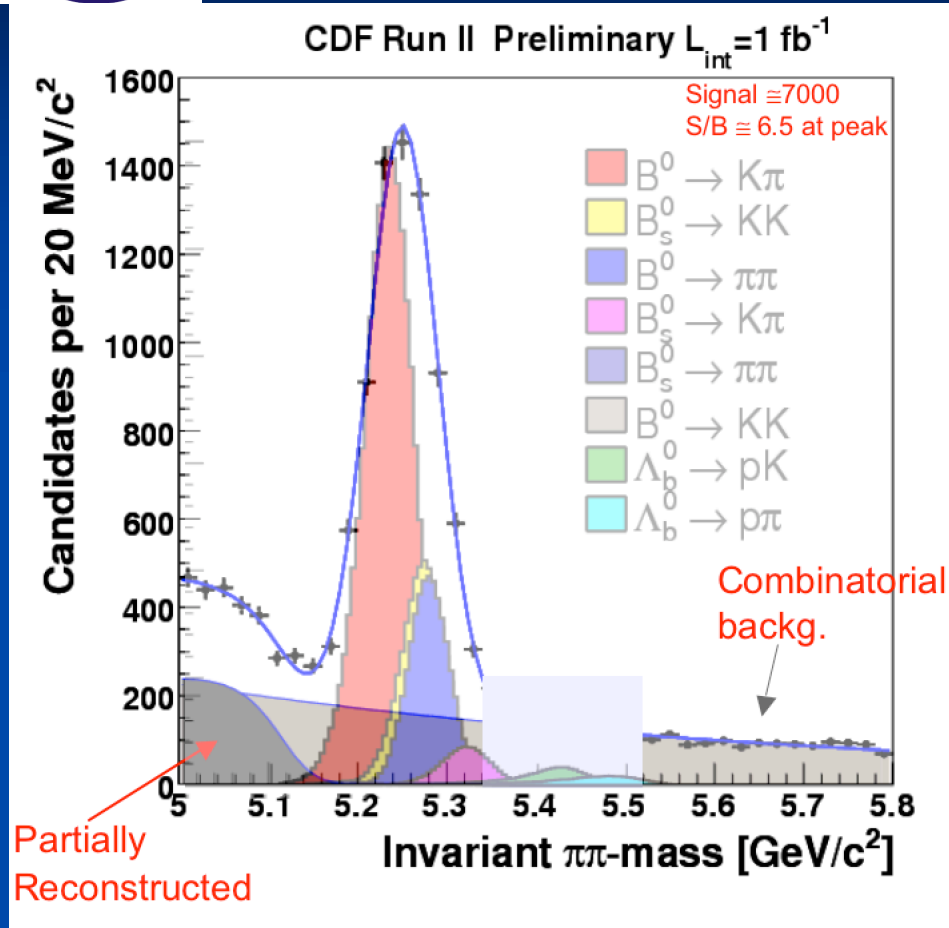
Note that the use of a single mass assignment ($\pi\pi$) causes overlap even with perfect resolution.

Blinded region of unobserved modes:
 $B^0_s \rightarrow K\pi$, $B^0_s \rightarrow \pi\pi$, $\Lambda_b^0 \rightarrow p\pi/pK$.

Need to determine signal composition with a **Likelihood fit**, combining information from **kinematics** (mass and momenta) and **particle ID** (dE/dx).



$B \rightarrow h^+ h^-$ signal (loose cuts)



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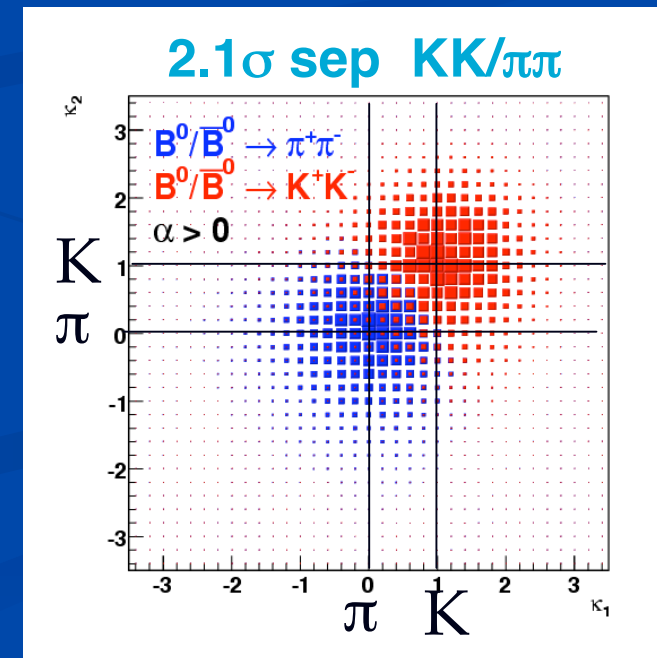
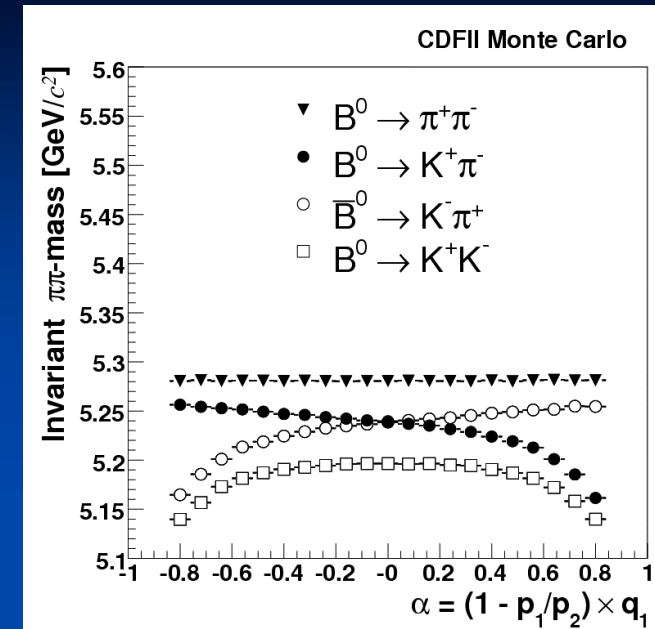
Main analysis ingredients: Kinematics and PID

Exploit dependence between invariant mass and momentum imbalance.

- 1) $M_{\pi\pi}$ invariant $\pi\pi$ -mass
- 2) $\alpha = (1 - p_{\min}/p_{\max})q_{\min}$
signed p-imbalance
- 3) $p_{\text{tot}} = p_{\min} + p_{\max}$
scalar sum of 3-momenta

dE/dx carefully calibrated on pure K and π samples from 1.5M decays: $D^{*+} \rightarrow D^0 \pi^+ \rightarrow [K^- \pi^+] \pi^+$
(sign of D^{*+} pion tags D^0 sign)

1.5 σ K/ π power separation for track $p > 2 \text{ GeV}/c$
which becomes **2.1 σ** for KK/ $\pi\pi$ and $K^+ \pi^- / \pi^+ K^-$.

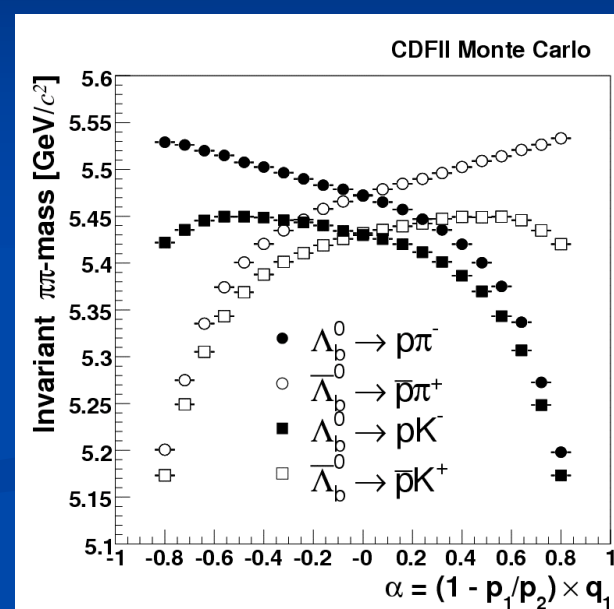
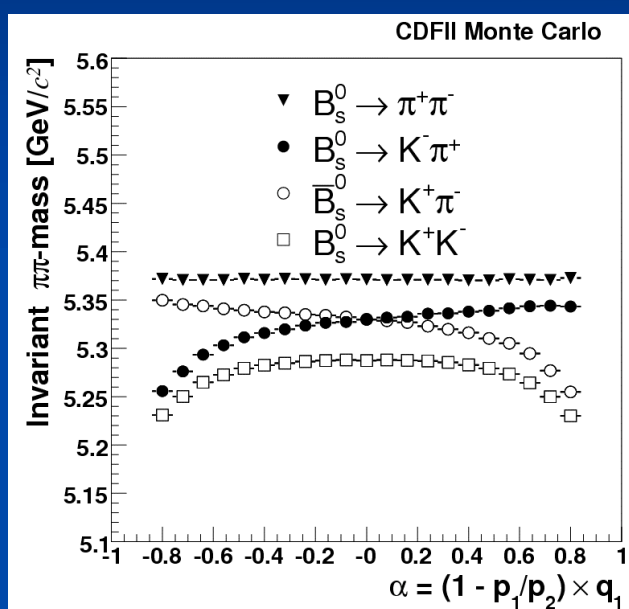
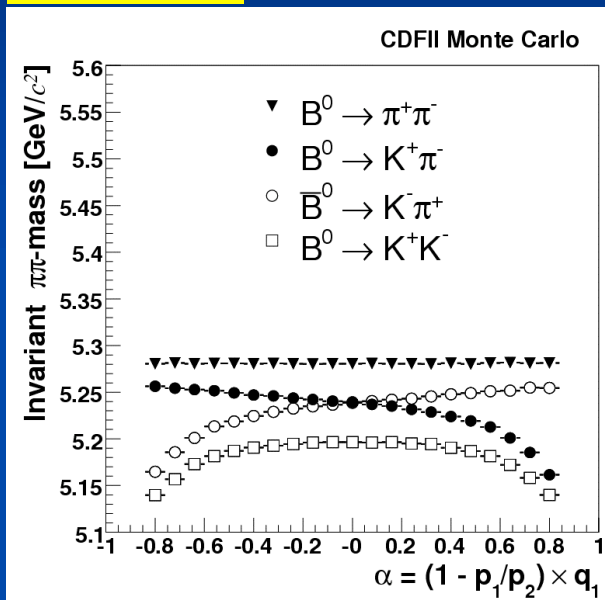




Kinematics

Exploit dependence between invariant mass and momentum imbalance

CDF MC



- 1) $M_{\pi\pi}$ invariant $\pi\pi$ -mass
- 2) $\alpha = (1 - p_{\min}/p_{\max})q_{\min}$ signed p-imbalance
- 3) $p_{\text{tot}} = p_{\min} + p_{\max}$ scalar sum of 3-momenta

This offers good discrimination amongst modes and between $K^+\pi^- / K^-\pi^+$.



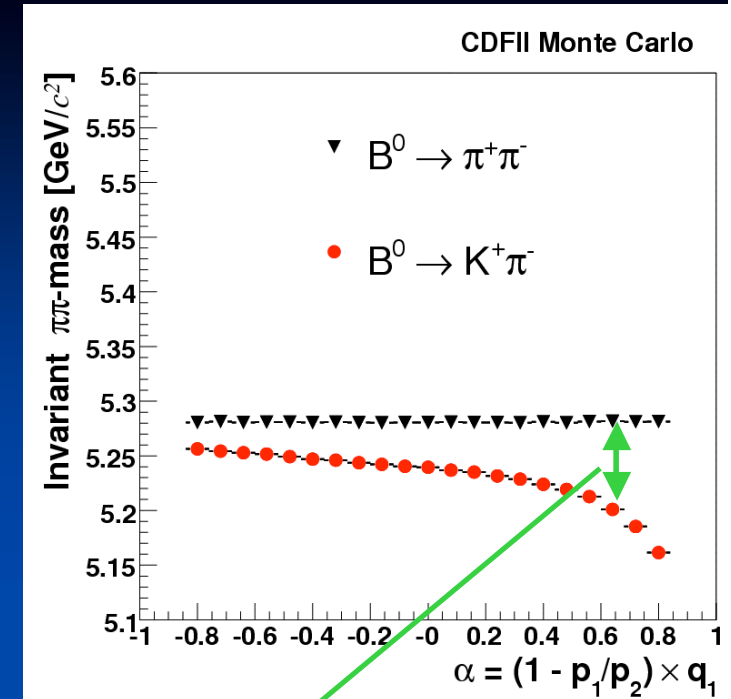
Kinematics

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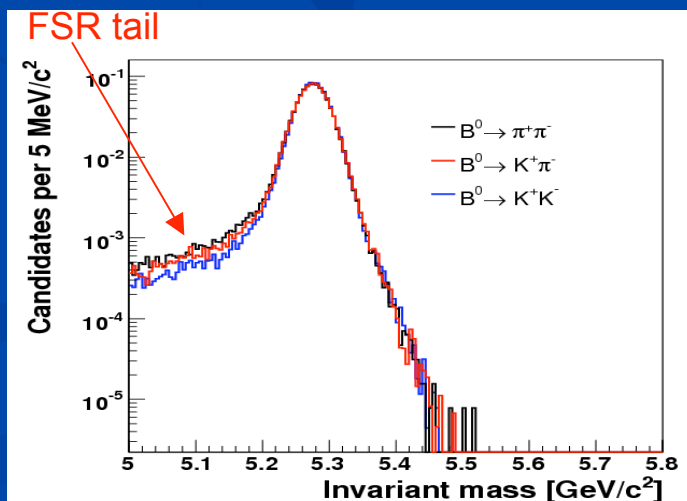
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signed p-imbalance
- 3) $p_{\text{tot}} = p_{\min} + p_{\max}$
scalar sum of 3-momenta

Results depend on assumed mass resolution and details of the lineshape

Final State Radiation treated in the simulation using *QED*: [Baracchini, Isidori PRL B633:309-313, 2006].
Check on 1.5M of $D^{*+} \rightarrow D^0 \pi^+ \rightarrow [K^-\pi^+] \pi^+$

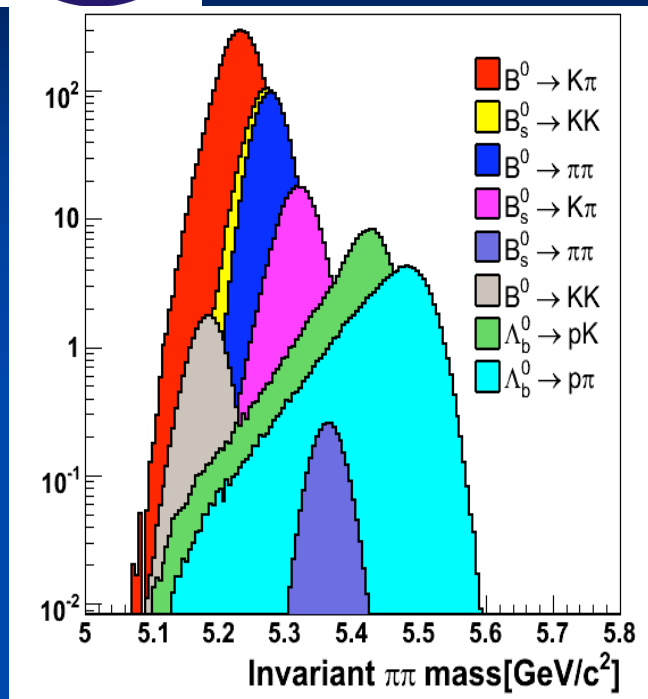


analytical function of momenta $f(\alpha, p_{\text{tot}})$





Mass line shape and FSR



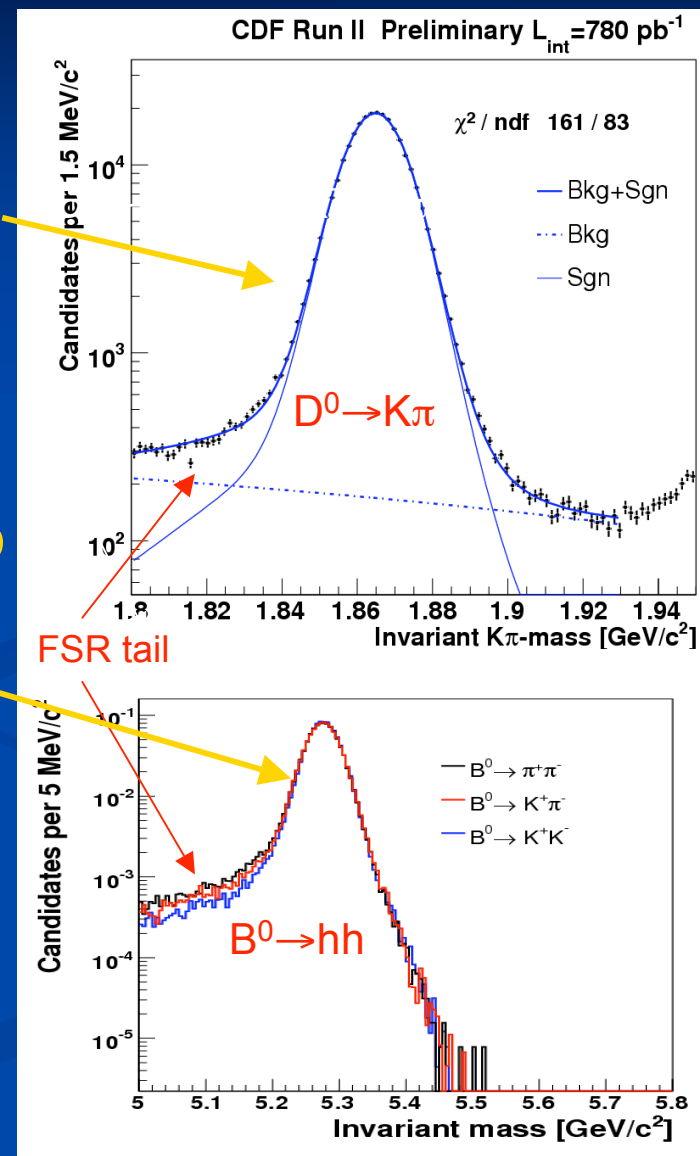
1) TEST on $D^0 \rightarrow K^- \pi^+$

2) APPLY to $B \rightarrow h^- h^+$

Results depend on assumed mass resolution and details of the lineshape (rare modes confuse with the tails of larger modes)

Need good control of non-gaussian resolution and effects of Final State Radiation

QED: [Baracchini, Isidori PL B633:309-313, 2006]





dE/dx

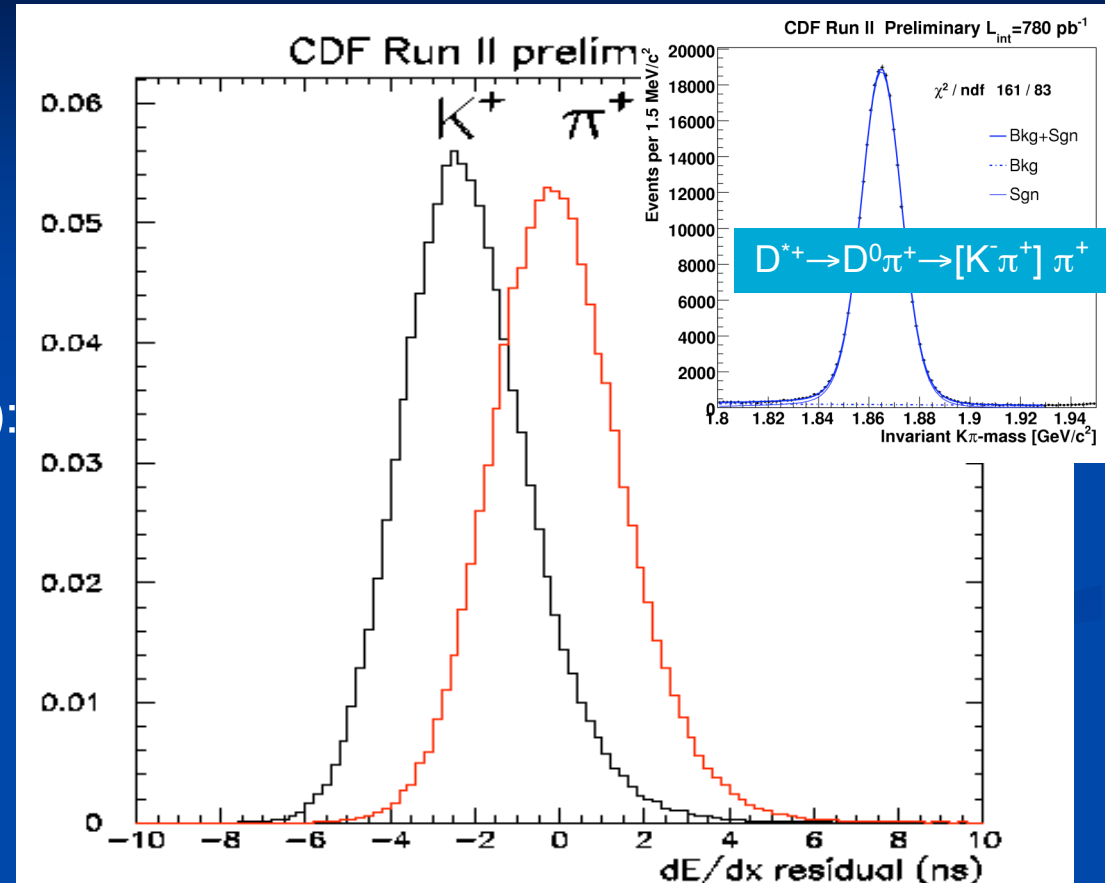
Calibrate on pure K and π samples from decay: $D^{*+} \rightarrow D^0$
 $\pi^+ \rightarrow [K^- \pi^+] \pi^+$
 (sign of D^{*+} pion tags D^0 sign)

Useful quantity to plot ('kaonness'):

$$\frac{\left. \frac{dE}{dx} \right|_{\text{meas}}(\text{track}) - \left. \frac{dE}{dx} \right|_{\text{exp}-\pi}(\text{track})}{\left. \frac{dE}{dx} \right|_{\text{exp}-K}(\text{track}) - \left. \frac{dE}{dx} \right|_{\text{exp}-\pi}(\text{track})}$$

$\langle \text{id} \rangle(\text{pion}) = 0$
 $\langle \text{id} \rangle(\text{kaon}) = 1$ (independent of p)

dE/dx carefully calibrated over tracking volume and time.
 Detailed model includes tails, momentum dependence, two-track correlations



1.5 σ K/ π separation for $p > 2\text{GeV}$
 achieve a statistical uncertainty on separating classes of particles which is just 60% worse than 'perfect' PID



$B \rightarrow h^+ h^-: dE/dx$

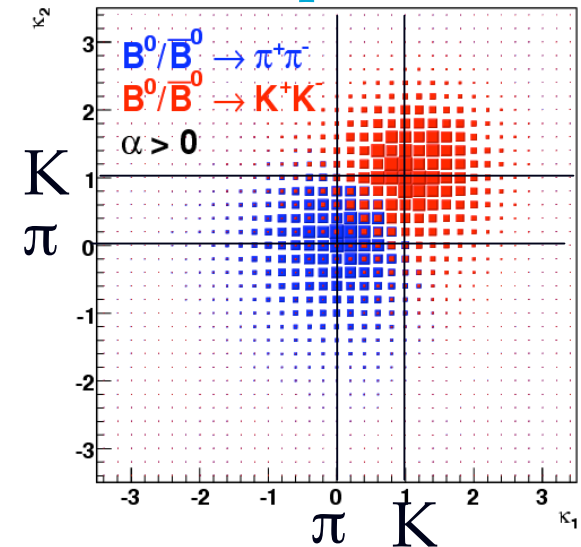
Carefully calibrated on pure K and π samples
from 1.5M decays: $D^{*+} \rightarrow D^0 \pi^+ \rightarrow [K^- \pi^+] \pi^+$
(sign of D^{*+} pion tags D^0 sign)

Useful dE/dx quantity ('kaonness'):

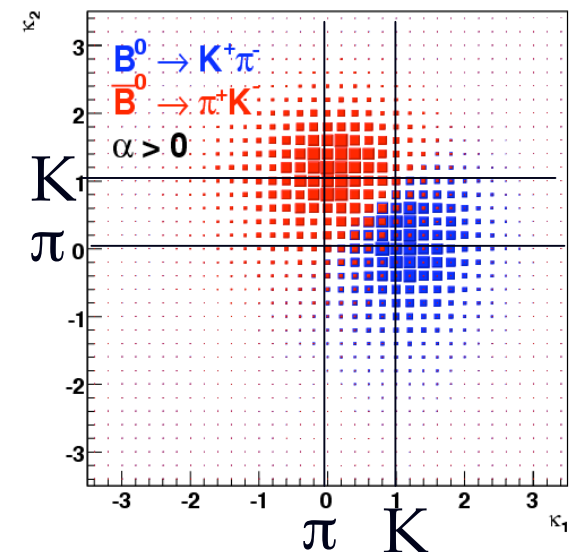
$$\begin{aligned} \langle \text{kaonness} \rangle (\text{pion}) &= 0 \\ \langle \text{kaonness} \rangle (\text{kaon}) &= 1 \end{aligned}$$

1.5 σ K/ π power separation for track $p > 2 \text{ GeV}/c$
achieve a statistical uncertainty on separating
classes of particles which is just **60%** worse
than 'perfect' PID ($\equiv 75\%$ for 2 particles)
[\[arXiv:physics/0611219\]](https://arxiv.org/abs/physics/0611219)

2.1 σ sep KK/ $\pi\pi$



2.1 σ sep $K^+\pi/\pi^+K^-$





Separating channels

Unbinned ML fit based on 5 observables (kinematics+PID)

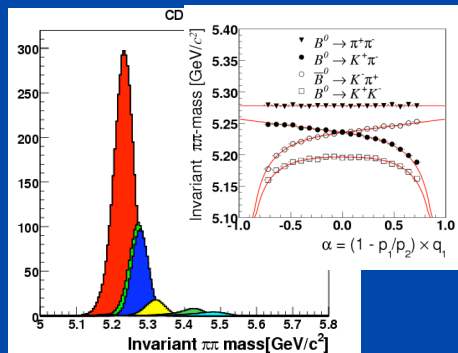
$$\mathcal{L}(\vec{\theta}) = \prod_{i=1}^N \mathcal{L}_i(\vec{\theta})$$

fraction of j^{th} mode, to be determined by the fit

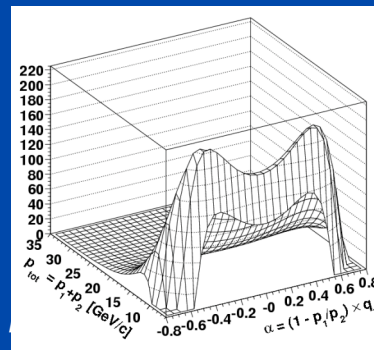
$$\mathcal{L}_i(\vec{\theta}) = (1 - b) \sum f_j \mathcal{L}_j^{\text{sign}} + b \mathcal{L}^{\text{bckg}}$$

$$pdf_j^m(m_{\pi\pi} | \alpha, p_{tot}; \vec{\theta}) \cdot pdf_j^p(\alpha, p_{tot}; \vec{\theta}) \cdot pdf_j^{\text{PID}}(\text{ID}_1, \text{ID}_2 | p_{tot}, \alpha; \vec{\theta})$$

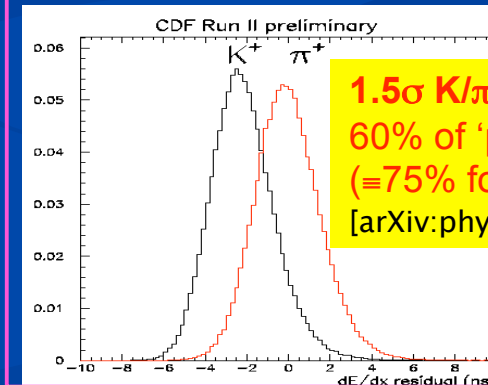
mass term



momentum term



dE/dx term








1.5 σ K/ π @p>2GeV =
60% of 'perfect' PID
(=75% for 2 particles)
[arXiv:physics/0611219]

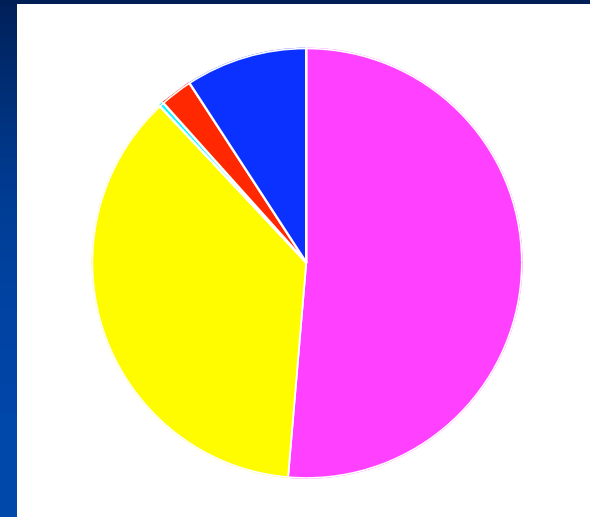
Signal shapes: from MC and analytic formula
Background shapes: from data sidebands

sign and bckg shapes
from $D^0 \rightarrow K^- \pi^+$



Systematics $A_{CP}(B^0 \rightarrow K^+ \pi^-)$

-  dE/dx model (± 0.0064);
-  Nominal B -meson masses (± 0.005);
-  Background model (± 0.003);
-  Charge-asymmetries (± 0.0014);
-  Global mass scale.



Total systematic uncertainty is 0.9%, compare with 2.3% statistical.

Huge sample of prompt $D^0 \rightarrow h^+ h^-$ (15M).

Kinematic fit using **same code** of $B \rightarrow hh$ fit. Direct $A_{CP}(D^0 \rightarrow K\pi)$ very small:
 \Rightarrow extract from DATA correction for $\varepsilon(K^-\pi^+)/\varepsilon(K^+\pi^-)$ plus any spurious asymmetries.

Additional check: measurement of $A_{CP}(D^0 \rightarrow K\pi)$ based on **dE/dx-only**.
Discrepancy with the kinematic fit (≈ 0.006) within quoted systematics.

Systematics can still decrease with larger calibration samples
Prospects for a runII CDF measurement with **$\approx 1\%$ uncertainty**.



BR/DCPV in $\Lambda_b^0 \rightarrow p h^-$

BRs are in agreement with SM predictions and exclude $O(10^{-4})$ values indicated for R-parity violating Minimal Supersymmetric extensions of the SM model. [PRD63,056006(2001)]

These are the first DCPV measurements in b-hadrons decays. Statistical uncertainty dominates. First hint of DCPV in baryon decays. Very interesting to pursue with more data.

$$\frac{f_\Lambda}{f_d} \times \frac{\mathcal{B}(\Lambda_b^0 \rightarrow p\pi^-)}{\mathcal{B}(B^0 \rightarrow K^+\pi^-)} = 0.042 \pm 0.007 (stat.) \pm 0.006 (syst.)$$

$$\frac{f_\Lambda}{f_d} \times \frac{\mathcal{B}(\Lambda_b^0 \rightarrow pK^-)}{\mathcal{B}(B^0 \rightarrow K^+\pi^-)} = 0.066 \pm 0.009 (stat.) \pm 0.008 (syst.)$$

Assuming PDG08 value for $f_\Lambda/f_d=0.230\pm0.052$

$$\mathcal{B}(\Lambda_b^0 \rightarrow p\pi^-) = (3.5 \pm 0.6 (stat.) \pm 0.9 (syst.)) \times 10^{-6}$$

$$\mathcal{B}(\Lambda_b^0 \rightarrow pK^-) = (5.6 \pm 0.7 (stat.) \pm 1.5 (syst.)) \times 10^{-6}$$

$$\mathcal{A}_{CP}(\Lambda_b^0 \rightarrow pK^-) = -0.37 \pm 0.17 (stat.) \pm 0.03 (syst.)$$

2.1 σ

$$\mathcal{A}_{CP}(\Lambda_b^0 \rightarrow p\pi^-) = -0.03 \pm 0.17 (stat.) \pm 0.05 (syst.)$$